

Appendix – 1

Sample Calculation of Growth Rate of Total Investment

Growth rate is calculated from

$$D_n = D_o (1+g)^{n-1}$$

D_n = Total Investment of nth year

D_o = Total Investment of Initial year

G = Growth Rate

N = Number of Year

HBL

Here,

$$D_{65} = 13340$$

$$D_{61} = 2878$$

$$N = 5\text{yr}$$

$$D_{65} = D_{61} (1+g)^{n-1}$$

$$\text{Or, } 13340 = 2878 (1+g)^{5-1}$$

$$\text{Or, } 4.63 = (1+g)^4$$

$$\text{Or, } (4.63)^{\frac{1}{4}} = 1+g$$

$$\text{Or, } 1+g = 1.4673$$

$$\text{Or, } g = 1.4673-1$$

$$\text{Or, } g = 0.4673$$

$$\therefore g = 46.73\%$$

EBL

Here,

$$D_{65} = 5059$$

$$D_{61} = 2483$$

$$N = 5\text{yr}$$

$$D_{65} = D_{61} (1+g)^{n-1}$$

$$\text{Or, } 5059 = 2483 (1+g)^{5-1}$$

$$\text{Or, } 2.0375 = (1+g)^4$$

$$\text{Or, } (2.0375)^{\frac{1}{4}} = 1+g$$

$$\text{Or, } 1+g = 1.1947$$

$$\text{Or, } g = 1.1947-1$$

$$\text{Or, } g = 0.1947$$

$$\therefore g = 19.47\%$$

Appendix – 2

Sample Calculation of Growth Rate of Deposit

HBL

Here,

$$D_{65} = 31805$$

$$D_{61} = 22761$$

$$N = 5\text{yr}$$

$$D_{65} = D_{61} (1+g)^{n-1}$$

$$\text{Or, } 31805 = 22761 (1+g)^{5-1}$$

$$\text{Or, } 1.3973 = (1+g)^4$$

$$\text{Or, } (1.3973)^{\frac{1}{4}} = 1+g$$

$$\text{Or, } 1+g = 1.0872$$

$$\text{Or, } g = 1.0872-1$$

$$\text{Or, } g = 0.0872$$

$$\therefore g = 8.72\%$$

EBL

Here,

$$D_{65} = 23976$$

$$D_{61} = 8064$$

$$N = 5\text{yr}$$

$$D_{65} = D_{61} (1+g)^{n-1}$$

$$\text{Or, } 23976 = 8064(1+g)^{5-1}$$

$$\text{Or, } 2.9732 = (1+g)^4$$

$$\text{Or, } (2.9732)^{\frac{1}{4}} = 1+g$$

$$\text{Or, } 1+g = 1.3131$$

$$\text{Or, } g = 1.3131-1$$

$$\text{Or, } g = 0.3131$$

$$\therefore g = 31.31\%$$

Appendix – 3

Sample Calculation of Growth Rate of Loan and Advances

HBL

Here,

$$D_{65} = 19985$$

$$D_{61} = 13082$$

$$N = 5\text{yr}$$

$$D_{65} = D_{61} (1+g)^{n-1}$$

$$\text{Or, } 19985 = 13082(1+g)^{5-1}$$

$$\text{Or, } 1.5277 = (1+g)^4$$

$$\text{Or, } (1.5277)^{\frac{1}{4}} = 1+g$$

$$\text{Or, } 1+g = 1.1118$$

$$\text{Or, } g = 1.1118-1$$

$$\text{Or, } g = 0.1118$$

$$\therefore g = 11.18\%$$

EBL

Here,

$$D_{65} = 18814$$

$$D_{61} = 6117$$

$$N = 5\text{yr}$$

$$D_{65} = D_{61} (1+g)^{n-1}$$

$$\text{Or, } 18814 = 6117(1+g)^{5-1}$$

$$\text{Or, } 3.0757 = (1+g)^4$$

$$\text{Or, } (3.0757)^{\frac{1}{4}} = 1+g$$

$$\text{Or, } 1+g = 1.3243$$

$$\text{Or, } g = 1.3243-1$$

$$\text{Or, } g = 0.3243$$

$$\therefore g = 32.43\%$$

Appendix – 4
Calculation the required values of HBL

HBL								Rs in 10 billion
Year	Profit(Y)	Investment + Loan & Advance (X)	Deposit (X ₁)	XY	X ²	XX ₁	X ₁ Y	X ₁ ²
2065	2	159	227	318	25281	36093	454	51529
2066	3	187	248	561	34969	46376	744	61504
2067	4	264	264	1056	69696	69696	1056	69696
2068	4	294	299	1176	86436	87906	1196	89401
2069	6	333	318	1998	110889	105894	1908	101124
	19	1237	1356	5109	327271	345965	5358	373254

Substituting the sum values in the above equations.

$$19 = 5a + 1237b + 1356b_1 \dots \dots \dots \text{v}$$

$$5109 = 1237a + 327271b + 345965b_1 \dots \dots \dots \text{vi}$$

$$5358 = 1356a + 345965b + 373254b_1 \dots \dots \dots \text{vii}$$

Multiplying equation v by 1237 and equation vi by 5 and subtracting equation vi from v.

$$23503 = 6185a + 1530169b + 1677372b_1 \dots \dots \dots \times 1237$$

$$25545 = 6185a + 1636355b + 1729825b_1 \dots \dots \dots \times 5$$

$$\begin{array}{r} - \quad - \quad - \quad - \\ \hline -2042 = -106186b - 52453b_1 \\ -(2042 = 106186b + 52453b_1) \dots \dots \dots \text{viii} \end{array}$$

Multiplying equation v by 1356 and equation vii by 5 and subtracting equation vii from v.

$$25764 = 6780a + 1677372b + 1838736b_1 \dots \dots \dots \times 1356$$

$$26790 = 6780a + 1729825b + 1866270b_1 \dots \dots \dots \times 5$$

$$\begin{array}{r} - \quad - \quad - \quad - \\ \hline -1026 = -52453b - 27534b_1 \\ -(1026 = 52453b + 27534b_1) \dots \dots \dots \text{ix} \end{array}$$

Again Multiplying equation viii by 27534 and equation ix by 52453 and subtracting equation ix from viii.

$$56224428 = 2923725324b + 1444240902b_1 \dots \dots \dots \times 27534$$

$$53816778 = 2751317209b + 1444240902b_1 \dots \dots \dots \times 52453$$

$$\begin{array}{r} - \quad - \quad - \\ \hline 2407650 = 172408115b \end{array}$$

$$b = 0.014$$

Substituting the value of b in equation viii we get

$$2042 = 106186b + 52453b_1$$

$$2042 = 106186 \times 0.014 + 52453b_1$$

$$b_1 = 0.0105$$

Again the substituting the value of b and b₁ in equation v

$$19 = 5a + 1237b + 1356b_1$$

$$19 = 5a + 1237 \times 0.014 + 1356 \times 0.0105$$

$$19 = 5a + 31.56$$

$$5a = -12.56$$

$$a = -2.512$$

Substituting the value of a, b, and b₁

$$y = -2.512 + 0.014x - 0.0105x_1$$

To find out the profit in future, let's assume x and x₁ as 300 Then,

$$y = a + bx + b_1x_1$$

$$= -2.512 + 0.014 \times 300 + 0.0105 \times 300$$

$$= 4.84$$

The profit is $4.84 \times 100000000 = 484000000$

Keeping the value of x as constant and changing the value of x₁ as 350.

$$y = a + bx + b_1x_1$$

$$= -2.512 + 0.014 \times 300 + 0.0105 \times 350$$

$$= 5.363$$

The profit is $5.36 \times 100000000 = 536000000$

Again Keeping the value of x₁ is as constant and changing the value of x as 350.

$$y = a + bx + b_1x_1$$

$$= -2.512 + 0.014 \times 350 + 0.0105 \times 300$$

$$= 5.54$$

The profit is $5.54 \times 100000000 = 554000000$.

EBL								Rs in 10 billion
Year	Profit(Y)	Investment + Loan & Advance (X)	Deposit (X ₁)	XY	X ²	XX ₁	X ₁ Y	X ₁ ²
2065	1	86	80	86	7396	6880	80	6400
2066	1	100	100	100	10000	10000	100	10000
2067	2	143	138	286	20449	19734	276	19044
2068	2	190	190	380	36100	36100	380	36100
2069	4	238	239	952	56644	56882	956	57121
	10	757	747	1804	130589	129596	1792	128665

Calculation of required value of EBL

Substituting the sum values in the above equations

$$10 = 5a + 757b + 747b_1 \dots\dots\dots v$$

$$1804 = 757a + 130589b + 129596b_1 \dots\dots\dots vi$$

$$1792 = 747a + 129596b + 128665b_1 \dots\dots\dots vii$$

Multiplying equation v by 757 and equation vi by 5 and subtracting equation vi from v.

$$7570 = 3785a + 573049b + 565479b_1 \dots\dots\dots \times 757$$

$$9020 = 3785a + 652945b + 647980b_1 \dots\dots\dots \times 5$$

$$\begin{array}{r} - \\ - \\ - \\ - \\ \hline -1450 = -79896b - 82501b_1 \\ -(1450 = 79896b + 82501b_1) \dots\dots\dots viii \end{array}$$

Multiplying equation v by 747 and equation vii by 5 and subtracting equation vii from v.

$$7470 = 3735a + 565479b + 558009b_1 \dots\dots\dots \times 747$$

$$8960 = 3735a + 647980b + 643325b_1 \dots\dots\dots \times 5$$

$$\begin{array}{r} - \\ - \\ - \\ - \\ \hline -1490 = -82501b - 85316b_1 \\ -(1490 = 82501b + 85316b_1) \dots\dots\dots ix \end{array}$$

Again Multiplying equation viii by 85316 and equation ix by 82501 and subtracting equation ix from viii.

$$123708200 = 6816407136b + 7038655316b_1 \dots\dots\dots \times 85316$$

$$122926490 = 6806415001b + 7038655316b_1 \dots\dots\dots \times 82501$$

$$\begin{array}{r} - \\ - \\ - \\ \hline 781710 = 9992135b \end{array}$$

$$b = 0.08$$

Substituting the value of b in equation viii we get

$$1450 = 79896 \times 0.08 + 82501b_1$$

$$-4941.68 = 82501b_1$$

$$b_1 = -0.06$$

Again the substituting the value of b and b₁ in equation v

$$10 = 5a + 757b + 747b_1$$

$$7 = 5a + 757 \times 0.08 + 747 \times -0.06$$

$$a = -1.15$$

Substituting the value of a, b, and b₁

$$Y = -1.15 + 0.08x - 0.06x_1$$

To find out the profit in future, let's assume x and x_1 as 200. Then

$$\begin{aligned}y &= a + bx + b_1x_1 \\ &= -1.15 + 0.08 \times 200 + (-0.06 \times 200) \\ &= 2.85\end{aligned}$$

The profit is $2.85 \times 100000000 = 285000000$

Keeping the value of x as constant and changing the value of x_1 as 250

$$\begin{aligned}y &= a + bx + b_1x_1 \\ &= -1.15 + 0.08 \times 200 + (-0.06 \times 250) \\ &= -0.15\end{aligned}$$

The profit is $-0.15 \times 100000000 = -15000000$

Again keeping the value of x_1 as constant and changing the value of x as 250

$$\begin{aligned}y &= a + bx + b_1x_1 \\ &= -1.15 + 0.08 \times 250 + (-0.06 \times 200) \\ &= 6.85\end{aligned}$$

The profit is $6.85 \times 100000000 = 685000000$.

Appendix – 5
Calculation of co-relation between investment and deposit
HBL

(Rs. in million)

Year	Investment + Loan and Advance (X)	Deposit (Y)	XY	X ²	Y ²
2065	1596	2276	3632496	2547216	510176
2066	1875	2483	4655625	3515625	6165289
2067	2641	2646	6988086	6974881	7001316
2068	2949	2991	8820459	8696601	8946081
2069	3332	3180	10595760	11102224	10112400
	∑ X= 12393	∑ Y= 13576	∑ XY= 34692423	∑ X ² = 32836547	∑ Y ² = 32735262

$$r = \frac{n \sum xy - \sum x \cdot \sum y}{\sqrt{(n \sum x^2 - (\sum x)^2) \cdot (n \sum y^2 - (\sum y)^2)}}$$

$$r = \frac{5 \times 34692423 - 12393 \times 13576}{\sqrt{(5 \times 32836547 - (12393)^2) \cdot (5 \times 32735262 - (13576)^2)}}$$

$$r = \frac{5214747}{\sqrt{(10596286) \cdot 20631466}}$$

$$r = \frac{5214727}{14785699.66}$$

$$r = 0.3527$$

$$\text{Coeff. Of Determination } (r^2) = r \times r = 0.3527 \times 0.3527 = 0.1244$$

$$\begin{aligned} \text{Probable Error (P.E)} &= 0.6745 \times \frac{1-r^2}{\sqrt{n}} \\ &= 0.6745 \times \frac{1-0.3527^2}{\sqrt{5}} \\ &= 0.6745 \times 0.039158 \\ &= 0.0264 \end{aligned}$$

$$\begin{aligned} 6 \times \text{P.E} &= 6 \times 0.0264 \\ &= 0.1584 \end{aligned}$$

$r > 6P.E$ Therefore Correlation is significant.

EBL

(Rs. in million)

Year	Investment + Loan and Advance (X)	Deposit (Y)	XY	X ²	Y ²
2065	860	806	693160	739600	649636
2066	1003	1010	1013030	1006009	1020100
2067	1433	1380	1977540	2053489	1904400
2068	1904	1910	3636640	36252165	3648100
2069	2387	2397	5721639	5697769	5745609
	$\sum X = 7587$	$\sum Y = 7503$	$\sum XY = 13042009$	$\sum X^2 = 45749032$	$\sum Y^2 = 12967845$

$$r = \frac{n \sum xy - \sum x \cdot \sum y}{\sqrt{(n \sum x^2 - (\sum x)^2) \cdot (n \sum y^2 - (\sum y)^2)}}$$

$$r = \frac{5 \times 13042009 - 7587 \times 7503}{\sqrt{(5 \times 45749032 - (7587)^2) \cdot (5 \times 12967845 - (7503)^2)}}$$

$$r = \frac{8284784}{\sqrt{171182591} \cdot \sqrt{8544216}}$$

$$r = \frac{8284784}{38244226.048}$$

$$r = 0.2166$$

$$\text{Coeff. Of Determination } (r^2) = r \times r = 0.2166 \times 0.2166 = 0.0469$$

$$\begin{aligned} \text{Probable Error (P.E)} &= 0.6745 \times \frac{1-r^2}{\sqrt{n}} \\ &= 0.6745 \times \frac{1-0.2166^2}{\sqrt{5}} \\ &= 0.6745 \times 0.4079 \\ &= 0.2751 \end{aligned}$$

$$\begin{aligned} 6 \times P.E &= 6 \times 0.2751 \\ &= 1.6507 \end{aligned}$$

$r < 6P.E$ Therefore Correlation is significant

Appendix – 6

Calculation of Investment Trend for Next Five Year

HBL

(Rs. in million)

Year (X)	Investment (Y)	$x(X - \bar{X})$	$y(Y - \bar{Y})$	xy	x
2065	15960	-2	-10446	20892	4
2066	18755	-1	-7651	7651	1
2067	26406	0	0	0	0
2068	29494	1	3088	3088	1
2069	33325	2	6919	13838	4
		$\sum x = 0$	$\sum y = -8090$	$\sum xy = 45469$	$\sum x^2 = 10$

We have,

$$Y = a + bx \dots \dots \dots (i)$$

$$\sum y = na + b \sum x \dots \dots \dots (ii)$$

$$\begin{aligned} \sum xy &= a \sum x + b \sum x^2 \dots \dots \dots (iii) \\ &= -1618 \end{aligned}$$

From equation (iii) we get

$$\sum xy = a \sum x + b \sum x^2$$

$$\text{Or, } 45469 = a.0 + b \times 10$$

$$\begin{aligned} \text{Or, } b &= \frac{45469}{10} \\ &= 4546.9 \end{aligned}$$

From equation (i) we get

$$Y = a + bx$$

$$\text{Or, } Y - \bar{Y} = a + b(X - \bar{X})$$

$$\text{Or, } Y = \bar{Y} + a + b(X - \bar{X})$$

Now,

$$\begin{aligned} Y_{66} &= 26406 - 1618 + 4546.9(2066-2063) \\ &= 38429 \end{aligned}$$

$$\begin{aligned} Y_{67} &= 26406 - 1618 + 4546.9(2067-2063) \\ &= 42976 \end{aligned}$$

$$\begin{aligned} Y_{68} &= 26406 - 1618 + 4546.9(2068-2063) \\ &= 47523 \end{aligned}$$

$$\begin{aligned} Y_{69} &= 26406 - 1618 + 4546.9(2069-2063) \\ &= 52069 \end{aligned}$$

$$\begin{aligned} Y_{70} &= 26406 - 1618 + 4546.9(2070-2063) \\ &= 56616 \end{aligned}$$

EBL

(Rs. in million)

Year (X)	Investment (Y)	$x(X - \bar{X})$	$y(Y - \bar{Y})$	xy	x
2065	8600	-2	-5726	11452	4
2066	10034	-1	-4292	4292	1
2067	14326	0	0	0	0
2068	19044	1	4718	4718	1
2069	23873	2	9547	19094	4
		$\sum x = 0$	$\sum y = 4247$	$\sum xy = 39556$	$\sum x^2 = 10$

We have,

$$Y = a + bx \dots\dots\dots (i)$$

$$\sum y = na + b \sum x \dots\dots\dots(ii)$$

$$\sum xy = a \sum x + b \sum x^2 \dots\dots\dots (iii)$$

From equation (ii) we get

$$\sum y = na + b \sum x$$

$$\text{Or, } 4247 = 5a + b.0$$

$$\text{Or, } a = \frac{4247}{5} = 849.4$$

From equation (iii) we get

$$\sum xy = a \sum x + b \sum x^2$$

$$\text{Or, } 39556 = a.0 + b \times 10$$

$$\text{Or, } b = \frac{39556}{10} = 3955.6$$

From equation (i) we get

$$Y = a + bx$$

$$\text{Or, } Y - \bar{Y} = a + b(X - \bar{X})$$

$$\text{Or, } Y = \bar{Y} + a + b(X - \bar{X})$$

Now,

$$\begin{aligned} Y_{66} &= 14326 + 849.4 + 3955.6(2066-2063) \\ &= 27042 \end{aligned}$$

$$\begin{aligned} Y_{67} &= 14326 + 849.4 + 3955.6(2067-2063) \\ &= 30998 \end{aligned}$$

$$\begin{aligned} Y_{68} &= 14326 + 849.4 + 3955.6(2068-2063) \\ &= 34953 \end{aligned}$$

$$\begin{aligned} Y_{69} &= 14326 + 849.4 + 3955.6(2069-2063) \\ &= 38909 \end{aligned}$$

$$\begin{aligned} Y_{70} &= 14326 + 849.4 + 3955.6(2070-2063) \\ &= 42865 \end{aligned}$$

Appendix – 7
Questionnaire-Survey

1. Banking is the sector; most of the investors are like to invest? Do you agree?
a. Yes [] b. No [] c. Cannot Say []
2. Do you think Nepalese Investors are aware about Stock Market?
a. Yes [] b. No [] c. Little Known []
3. Are the Banks in Nepal duly publishing their financial statements?
a. Yes [] b. No [] c. Cannot Say []
4. Does the political environment affect the banks investment policy?
a. Yes [] b. No [] c. Don't Know []
5. What is the most influencing factor that affects the bank's investment policy?
a. Expected Profit [] b. Past Performance []
c. History of Board of Director []
6. Now, which of the following trend is prevalent in bank?
a. Consumer banking [] b. Wholesale banking []
c. Industrial loan []
7. In your opinion, what do you think of landing process at bank?
a. Social Status [] b. Income []
c. Marketing [] d. All of above []
8. Have you even obtained of bank loan?
a. Yes [] b. No [] c. Will not say []
9. If yes, what loan type was it?
a. Home loan [] b. Business loan []
c. Mortgage loan [] d. Education loan []
10. In your opinion, what are the major's things to be taken for increase of investment from banking in Nepal?

Name:

Address:

Phone no: