

## Appendix-A

### Simple correlation and regression Analysis between EPS and DPS

#### 1) NIC Bank Ltd. (NIC)

Year	X(EPS)	Y(DPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X- $\bar{X}$ ) <sup>2</sup>
2003/04	13.65	0	0	186.32	0	46.24
2004/05	22.75	10	22.7	517.56	100	5.29
2005/06	16.10	0.53	8.53	259.21	0.29	18.92
2006/07	24.01	1.05	25.21	576.48	1.10	12.67
2007/08	25.75	1.05	27.04	663.06	1.10	28.09
N=5	$\sum X=102.26$	$\sum Y=12.63$	$\sum XY=288.28$	$\sum x^2=2202.64$	$\sum Y^2=102.49$	$\sum (X-\bar{X})^2=111.22$

Mean,

$$\bar{X} = 20.45, \bar{Y} = 2.53$$

$$\begin{aligned}
 \text{i) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\
 &= \frac{5 \times 288.28 - 102.26 \times 12.63}{\sqrt{5 \times 2202.64 - (102.26)^2} \cdot \sqrt{5 \times 102.49 - (12.63)^2}} \\
 &= 0.3382
 \end{aligned}$$

$$\text{Coefficient of Determination (r}^2\text{)} = 0.1144$$

$$\begin{aligned}
 \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\
 &= 0.3961
 \end{aligned}$$

$$\begin{aligned}
 \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\
 &= 0.2672
 \end{aligned}$$

ii) Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n.a + b \sum X \text{ and } \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$\begin{aligned} b &= \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2} \\ &= \frac{5 \times 288.28 - 102.26 \times 12.63}{5 \times 2202.64 - (102.26)^2} \\ &= 0.2695 \\ a &= \bar{Y} - b \bar{X} \\ &= 2.53 - 0.2695 \times 20.45 \\ &= -2.98 \end{aligned}$$

$$\begin{aligned} \text{Standard Error of Estimate (S.E.E)} &= \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2} \\ &= \sqrt{\frac{102.49 - (-2.98) \times 12.63 - 0.2695 \times 288.28}{5 - 2}} \\ &= 4.56 \end{aligned}$$

$$\begin{aligned} \text{Standard Error of Regression Coefficient (S}_b) &= \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}} \\ &= \frac{4.56}{\sqrt{111.22}} \\ &= 0.4324 \\ \text{t-value, } |t| &= \frac{b}{S_b} \\ &= 0.6233 \end{aligned}$$

## 2) NABIL Bank Ltd. (NABIL)

Year	X (EPS)	Y(DPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X-Y) <sup>2</sup>
2003/04	92.61	65	6019.65	8576.61	4225	480.92
2004/05	105.49	70	7384.3	11128.14	4900	81.90
2005/06	129.21	85	10982.85	16695.22	7225	215.21
2006/07	137.08	100	13708	18790.93	10000	508.05
2007/08	108.31	100	10831	11731.06	10000	38.81
N=5	$\sum X=572.7$	$\sum Y=420$	$\sum XY=48925.8$	$\sum X^2=66921.96$	$\sum Y^2=36350$	$\sum(x - \bar{X})^2=1324.89$

Mean,

$$\bar{X} = 114.54, \bar{Y} = 84$$

$$i) \text{ Coefficient of correlation } (r) = \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}}$$

$$= \frac{5 \times 48925.8 - 572.7 \times 420}{\sqrt{5 \times 66921.96 - (572.7)^2} \cdot \sqrt{5 \times 36350 - (420)^2}}$$

$$= 0.6879$$

$$\text{Coefficient of Determination } (r^2) = 0.4732$$

$$\text{Standard Error of correlation coefficient, S.E. } (r) = \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.2356$$

$$\text{Probable error of correlation coefficient, P.E. } (r) = 0.6745 \times \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.1589$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 48925.8 - 572.7 \times 420}{5 \times 66921.96 - (572.7)^2}$$

$$= 0.6182$$

$$a = \bar{Y} - b\bar{X}$$

$$= 84 - 0.6182 \times 114.54$$

$$= 13.1914$$

$$\text{Standard Error of Estimate (S.E.E)} = \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2}$$

$$= \frac{\sqrt{36350 - 13.194 \times 420 - 0.6182 \times 48952.8}}{5 - 2}$$

$$= 13.7074$$

$$\text{Standard Error of Regression Coefficient (S}_b) = \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}}$$

$$= \frac{13.7074}{\sqrt{\sum 1324.89}}$$

$$= 0.3766$$

$$\text{t-value, } |t| = \frac{b}{S_b}$$

$$= 1.6415$$

### 3) Bank of Kathmandu Ltd. (BOK)

Year	X (EPS)	Y (DPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	27.5	10	275	756.25	100	180.63
2004/05	30.10	15	451.5	906.01	225	117.51
2005/06	43.67	18	786.06	1907.07	324	7.45
2006/07	43.50	20	870	1892.25	400	6.55
2007/08	59.94	2.11	126.47	3592.80	4.45	361
N=5	$\sum X=204.71$	$\sum Y=65.11$	$\sum XY=2509.03$	$\sum X^2=9054.38$	$\sum Y^2=1053.45$	$\sum (X - \bar{X})^2=673.15$

Mean,  
 $\bar{X} = 40.94, \bar{Y} = 13.02$

$$\text{i) Coefficient of correlation (r)} = \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}}$$

$$= \frac{5 \times 2509.03 - 204.71 \times 65.11}{\sqrt{5 \times 9054.38 - (204.71)^2} \sqrt{5 \times 1053.45 - (65.11)^2}}$$

$$= -0.4213$$

Coefficient of Determination ( $r^2$ ) = 0.1775

$$\text{Standard Error of correlation coefficient, S.E. (r)} = \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.3678$$

$$\text{Probable error of correlation coefficient, P.E. (r)} = 0.6745 \times \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.2481$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 2509.03 - 204.71 \times 65.11}{5 \times 1053.45 - (204.71)^2}$$

$$= -0.2328$$

$$a = \bar{Y} - b\bar{X}$$

$$= 13.02 - (-0.2328) \times 40.94$$

$$= 22.5508$$

$$\text{Standard Error of Estimate (S.E.E)} = \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2}$$

$$= \sqrt{\frac{1053.45 - 22.5508 \times 65.11 - (-0.2328) \times 2509.03}{5 - 2}}$$

$$= 7.5115$$

$$\text{Standard Error of Regression Coefficient (S}_b) = \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}}$$

$$= \frac{7.5115}{\sqrt{673.15}}$$

$$= 0.2895$$

$$\text{t-value, } |t| = \frac{b}{S_b}$$

$$= 0.8041$$

#### 4) Pooled Bank Average

Year	X (EPS)	Y(DPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	44.59	25	1115	1988.3	62.5	199.1
2004/05	52.78	31.67	1671.5	2785.73	1003	35.05
2005/06	63	34.51	2174.1	3639	1191	18.5
2006/07	68.2	40.35	2752	4651.24	1628.12	90.3
2007/08	64.67	34.39	2224	4182.21	1182.67	35.64
N=5	$\sum X=293.24$	$\sum Y^2 = 165.92$	$\sum XY=9936.3$	$\sum X^2=17576.44$	$\sum Y^2=5629.72$	$\sum (X - \bar{X})^2=378.52$

Mean,

$$\bar{X} = 58.7, \bar{Y} = 33.2$$

$$i) \text{ Coefficient of correlation } (r) = \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}}$$

=

$$\frac{5 \times 9936.3 - 293.24 \times 165.92}{\sqrt{5 \times 17576.44 - (293.24)^2} \cdot \sqrt{5 \times 5629.72 - (165.92)^2}}$$

$$= 0.9483$$

Coefficient of Determination ( $r^2$ ) = 0.8992

$$\text{Standard Error of correlation coefficient, S.E. } (r) = \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.045$$

$$\text{Probable error of correlation coefficient, P.E. } (r) = 0.6745 \times \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.0304$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 9936.3 - 293.24 \times 165.92}{5 \times 17576.44 - (293.24)^2}$$

$$= 0.5427$$

$$a = \bar{Y} - b\bar{X}$$

$$= 33.2 - 0.5427 \times 58.7$$

$$= 1.344$$

$$\text{Standard Error of Estimate (S.E.E)} = \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2}$$

$$= \frac{\sqrt{5629.72 - 1.344 \times 165.92 - 0.5427 \times 9936.3}}{5 - 2}$$

$$= 0.1122$$

$$\text{Standard Error of Regression Coefficient (S}_b) = \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}}$$

$$= \frac{0.1122}{\sqrt{378.52}}$$

$$= 0.2895$$

$$\text{t-value, } |t| = \frac{b}{S_b}$$

$$= 4.84$$

### Appendix-B

#### Simple correlation and Regression analysis between DPR and MPS

##### 1) NIC Bank Ltd. (NIC)

Year	X (EPS)	Y (MPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	0	218	0	0	47524	124.10
2004/05	543.96	366	1689.36	1932.48	133956	1077.15
2005/06	3.29	496	1631.84	10.82	246016	61.62
2006/07	4.37	950	4151.5	19.10	902500	45.83
2007/08	4.08	1284	5238.72	16.65	1648656	49.84
N=5	$\sum X = 55.7$	$\sum Y = 3314$	$\sum XY = 27111.42$	$\sum X^2 = 1979.05$	$\sum Y^2 = 2978652$	$\sum (X - \bar{X})^2 = 1358.55$

Mean,

$$\bar{X} = 11.14, \bar{Y} = 662.8$$

$$\text{i) Coefficient of correlation (r)} = \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}}$$

$$= \frac{5x27111.42 - 55.7x3314}{\sqrt{5x1979.05 - (55.70)^2} \sqrt{5x2978652 - (3314)^2}}$$

$$= -0.3008$$

Coefficient of Determination ( $r^2$ ) = 0.0905

$$\text{Standard Error of correlation coefficient, S.E. (r)} = \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.4067$$

$$\text{Probable error of correlation coefficient, P.E. (r)} = 0.6745 \times \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.2743$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n.a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5x27111.42 - 55.7x3314}{5x1979.05 - (55.70)^2}$$

$$= -7.2184$$

$$a = \bar{Y} - b\bar{X}$$

$$= 662.8 - (-7.2184) \times 11.14$$

$$= 743.213$$

$$\text{Standard Error of Estimate (S.E.E)} = \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2}$$

$$= \frac{\sqrt{2978652 - 743.213x3314 - (-7.2184)x27111.42}}{5 - 2}$$

$$= 486.9446$$

$$\text{Standard Error of Regression Coefficient (S}_b) = \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}}$$

$$= \frac{486.9446}{\sqrt{1358.55}}$$

$$= 13.2112$$



$$t\text{-value, } |t| = \frac{b}{Sb}$$

$$= 0.5464$$

## 2) NABIL Bank Ltd. (NABIL)

Year	X (EPS)	Y(MPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	70.19	1000	70190	0	47524	124.10
2004/05	66.36	1505	99871.8	1932.48	133956	1077.15
2005/06	65.78	2240	147347.2	10.82	246016	61.62
2006/07	72.95	5050	368397.5	19.10	902500	45.83
2007/08	92.33	5275	487040.75	16.65	1648656	49.84
N=5	$\sum X=367.61$	$\sum Y = 15070$	$\sum XY=1172847.25$	$\sum X^2=27503.83$	$\sum Y^2=61610750$	$\sum (X - \bar{X})^2 = 476.40$

Mean,

$$\bar{X} = 73.52, \bar{Y} = 3014$$

$$i) \text{ Coefficient of correlation (r)} = \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}}$$

$$= \frac{5 \times 1172847.25 - 367.61 \times 15070}{\sqrt{5 \times 27503.83 - (367.61)^2} \cdot \sqrt{5 \times 61610750 - (15070)^2}}$$

$$= 0.5455$$

Coefficient of Determination ( $r^2$ ) = 0.5455

$$\text{Standard Error of correlation coefficient, S.E. (r)} = \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.2033$$

$$\text{Probable error of correlation coefficient, P.E. (r)} = 0.6745 \times \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.1371$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$\begin{aligned}
 b &= \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2} \\
 &= \frac{5 \times 1172847.25 - 367.61 \times 150750}{5 \times 27503.83 - (367.61)^2} \\
 &= 136.1664 \\
 a &= \bar{Y} - b\bar{X} \\
 &= 3014 - 136.1664 \times 73.52 \\
 &= -6996.9537
 \end{aligned}$$

$$\begin{aligned}
 \text{Standard Error of Estimate (S.E.E)} &= \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2} \\
 &= \frac{\sqrt{61610750 - 6996.9537 \times 150750 - 1172847.25 \times 136.1664}}{5 - 2} \\
 &= 1565.51
 \end{aligned}$$

$$\begin{aligned}
 \text{Standard Error of Regression Coefficient (S}_b) &= \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}} \\
 &= \frac{1565.51}{\sqrt{476.40}} \\
 &= 71.7248
 \end{aligned}$$

$$\begin{aligned}
 \text{t-value, } |t| &= \frac{b}{S_b} \\
 &= 1.8985
 \end{aligned}$$

### 3) Bank of Kathmandu Ltd. (BOK)

Year	X (EPS)	Y(MPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	36.36	295	10726.2	1322.05	87025	0.96
2004/05	49.83	430	21426.9	2483.03	184900	208.8
2005/06	41.22	850	35037	1699.09	722500	34.11
2006/07	45.98	1375	63222.5	2114.16	1890625	112.36
2007/08	3.52	2350	8272	12.39	5522500	1015.06
N=5	$\sum X=176.91$	$\sum Y = 5300$	$\sum XY=138684.6$	$\sum X^2=7630.72$	$\sum Y^2=8407550$	$\sum (X - \bar{X})^2=1371.29$

Mean,

$$\bar{X} = 35.38, \bar{Y} = 1060$$

$$\text{i) Coefficient of correlation (r)} = \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}}$$

$$= \frac{5 \times 138684.6 - 176.91 \times 5300}{\sqrt{5 \times 7360.72 - (176.91)^2} \sqrt{5 \times 8407550 - (5300)^2}}$$

$$= -0.7897$$

Coefficient of Determination ( $r^2$ ) = 0.5455

$$\text{Standard Error of correlation coefficient, S.E. (r)} = \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.1683$$

$$\text{Probable error of correlation coefficient, P.E. (r)} = 0.6745 \times \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.1135$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 138684.6 - 176.91 \times 5300}{5 \times 7630.72 - (176.91)^2}$$

$$= -35.6161$$

$$a = \bar{Y} - b\bar{X}$$

$$= 1060 - (-35.6161) \times 35.38$$

$$= 2320.0976$$

$$\text{Standard Error of Estimate (S.E.E)} = \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2}$$

$$= \frac{\sqrt{8407550 - 2320.0976 \times 5300 - 138684.6 \times (-35.6161)}}{5 - 2}$$

$$= 591.7292$$

$$\text{Standard Error of Regression Coefficient (S}_b) = \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}}$$

$$= \frac{591.7292}{\sqrt{1371.29}}$$

$$= 15.9793$$

$$\text{t-value, } |t| = \frac{b}{S_b} = 2.2289$$

#### 4) Pooled Bank Average

Year	X (DPR)	Y(MPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X-Y) <sup>2</sup>
2003/04	35.52	504.33	1791.80	1261.67	254348.75	20.16
2004/05	53.38	767	40942.46	2849.42	588289	178.76
2005/06	36.76	1195.33	43940.33	1351.30	1428813.81	10.56
2006/07	41.1	2458.33	101037.36	1689.21	6043386.4	1.19
2007/08	33.31	2970	98930.70	1109.56	8820900	44.89
N=5	$\sum X = 200.07$	$\sum Y = 7895$	$\sum XY = 302764.66$	$\sum X^2 = 8261.16$	$\sum Y^2 = 17135737.95$	$\sum (X - \bar{X})^2 = 255.56$

Mean,

$$\bar{X} = 40.01, \quad \bar{Y} = 1579$$

$$\begin{aligned} \text{i) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\ &= \frac{5 \times 302764.66 - 200.07 \times 7895}{\sqrt{5 \times 8261.16 - (200.07)^2} \cdot \sqrt{5 \times 17135737.95 - (7895)^2}} \\ &= -0.3805 \end{aligned}$$

Coefficient of Determination ( $r^2$ ) = 0.0.1448

$$\begin{aligned} \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\ &= 0.3825 \end{aligned}$$

$$\begin{aligned} \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\ &= 0.258 \end{aligned}$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$\begin{aligned}
&= \frac{5 \times 302764.66 - 200.07 \times 7895}{5 \times 8261.16 - (200.07)^2} \\
&= -51.4397
\end{aligned}$$

$$\begin{aligned}
a &= \bar{Y} - b\bar{X} \\
&= 1597 - (-51.4397) \times 40.01 \\
&= 3637.1024
\end{aligned}$$

$$\begin{aligned}
\text{Standard Error of Estimate (S.E.E)} &= \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2} \\
&= \sqrt{\frac{17135737.95 - 3637.1024 \times 7895 - 302764.66 \times (-51.4397)}{5 - 2}} \\
&= 1154
\end{aligned}$$

$$\begin{aligned}
\text{Standard Error of Regression Coefficient (S}_b) &= \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}} \\
&= \frac{1154}{\sqrt{255.56}} \\
&= 72.1852
\end{aligned}$$

$$\begin{aligned}
\text{t-value, } |t| &= \frac{b}{S_b} \\
&= 0.7126
\end{aligned}$$

## Appendix-C

### Simple correlation and Regression analysis between DPS and Net Worth

#### 1) NIC Bank Ltd (NIC)

Year	X (DPS)	Y(NW)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	0	124.09	0	0	15398.33	6.4009
2004/05	10	136.84	1368.4	100	18725.19	55.8009
2005/06	.53	116.13	61.55	0.28	13486.18	4
2006/07	1.05	139.17	146.13	1.10	19368.29	2.1904
2007/08	1.05	138.09	145	1.10	19068.85	2.1904
N=5	$\sum X=12.63$	$\sum Y = 654.32$	$\sum XY=1721.08$	$\sum X^2=102.48$	$\sum Y^2=86046.84$	$\sum (X - \bar{X})^2=70.5826$

Mean,

$$\bar{X} = 2.53, \bar{Y} = 130.86$$

$$\begin{aligned}
 \text{i) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\
 &= \frac{5 \times 1721.08 - 12.63 \times 654.32}{\sqrt{5 \times 102.48 - (12.63)^2} \sqrt{5 \times 86046.84 - (654.32)^2}} \\
 &= 0.3996
 \end{aligned}$$

Coefficient of Determination ( $r^2$ ) = 0.1573

$$\begin{aligned}
 \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\
 &= 0.3769
 \end{aligned}$$

$$\begin{aligned}
 \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\
 &= 0.2542
 \end{aligned}$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 1721.08 - 12.63 \times 654.325}{5 \times 102.48 - (12.63)^2}$$

$$= 0.9673$$

$$a = \bar{Y} - b\bar{X}$$

$$= 130.86 - 0.9673 \times 2.53$$

$$= 128.4127$$

$$\text{Standard Error of Estimate (S.E.E)} = \sqrt{\frac{\sum Y^2 - a \cdot \sum Y - b \cdot \sum XY}{n - 2}}$$

$$= \sqrt{\frac{86046.84 - 128.4127 \times 654.32 - 0.9673 \times 1721.08}{5 - 2}}$$

$$= 10.9399$$

$$\text{Standard Error of Regression Coefficient (Sb)} = \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}}$$

$$= \frac{10.9399}{\sqrt{70.5826}}$$

$$= 1.3022$$

$$t\text{-value, } |t| = \frac{b}{Sb}$$

$$= 0.7428$$

## 2) NABIL Bank Ltd (NABIL)

Year	X (DPS)	Y(NW)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	65	301	19565	4225	90601	361
2004/05	70	337	23590	4900	113569	196
2005/06	85	381	32385	7225	145161	1
2006/07	100	418	41800	10000	174724	256
2007/08	100	354	35400	10000	125316	2.256
N=5	$\sum X=420$	$\sum Y = 1791$	$\sum XY=152740$	$\sum X^2=36350$	$\sum Y^2=649371$	$\sum (X - \bar{X})^2=1070$

Mean,

$$\bar{X} = 84 \quad \bar{Y} = 358.2$$

$$\begin{aligned} \text{ii) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\ &= \frac{5 \times 152740 - 420 \times 1791}{\sqrt{5 \times 36350 - (420)^2} \cdot \sqrt{5 \times 649371 - (1791)^2}} \\ &= 0.7930 \end{aligned}$$

$$\text{Coefficient of Determination (r}^2\text{)} = 0.7486$$

$$\begin{aligned} \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\ &= 0.1659 \end{aligned}$$

$$\begin{aligned} \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\ &= 0.1119 \end{aligned}$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 152740 - 420 \times 1791}{5 \times 36350 - (420)^2}$$

$$= 2.1458$$

$$a = \bar{Y} - b\bar{X}$$

$$= 358.2 - 2.1458 \times 84$$

$$= 177.95$$

$$\begin{aligned} \text{Standard Error of Estimate (S.E.E)} &= \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2} \\ &= \sqrt{\frac{649371 - 177.95 \times 1791 - 2.1458 \times 152740}{5 - 2}} \\ &= 33.16 \end{aligned}$$

$$\begin{aligned} \text{Standard Error of Regression Coefficient (S}_b\text{)} &= \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}} \\ &= \frac{1.3443}{\sqrt{476.4}} \\ &= 0.9526 \end{aligned}$$



$$\begin{aligned} \text{t-value, } |t| &= \frac{b}{Sb} \\ &= 2.253 \end{aligned}$$

### 3) Bank of Kathmandu Ltd. (BOK)

Year	X (DPS)	Y(NW)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	10	218.4	2184	100	47689.8	9.12
2004/05	15	213.6	3204	225	4562.5	3.92
2005/06	18	230.7	4152	324	53208.6	24.80
2006/07	20	164.7	3294	400	27119.5	48.72
2007/08	2.11	222.5	470	4.4	49511	119
N=5	$\sum X=65.11$	$\sum Y = 1050$	$\sum XY=13303$	$\sum X^2=1053$	$\sum Y^2=223154$	$\sum (X - \bar{X})^2=205.6$

Mean,

$$\bar{X} = 13.02 \quad \bar{Y} = 210$$

$$\begin{aligned} \text{ii) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\ &= \frac{5 \times 13303 - 65.11 \times 1050}{\sqrt{5 \times 1053 - (65.11)^2} \cdot \sqrt{5 \times 223154 - (1050)^2}} \\ &= -0.5011 \end{aligned}$$

Coefficient of Determination ( $r^2$ ) = 0.2511

$$\begin{aligned} \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\ &= 0.3349 \end{aligned}$$

$$\begin{aligned} \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\ &= .2259 \end{aligned}$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n.a + b \sum X \text{ and } \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 13303 - 65.11 \times 1050}{5 \times 1053.45 - (65.11)^2}$$

$$= -1.8$$

$$a = \bar{Y} - b \bar{X}$$

$$= 210 - (-1.8) \times 13.02$$

$$= 233.44$$

$$\text{Standard Error of Estimate (S.E.E)} = \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2}$$

$$= \sqrt{\frac{223154 - 233.44 \times 1050 - (-1.8) \times 13303}{5 - 2}}$$

$$= 25.74$$

$$\text{Standard Error of Regression Coefficient (Sb)} = \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}}$$

$$= \frac{25.74}{\sqrt{205.6}}$$

$$= 1.7952$$

$$\text{t-value, } |t| = \frac{b}{Sb}$$

$$= 1.003$$

#### 4) Pooled Bank Average

Year	X (DPS)	Y(NW)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	25	214.5	5362.5	625	46010	678
2004/05	31.67	229.1	7256	1003	52487	2.3
2005/06	34.51	242.6	8372	1191	58855	1.79
2006/07	40.35	241	9724	1628	58081	51.4
2007/08	34.39	238	8185	1183	56644	1.5
N=5	$\sum X=166$	$\sum Y = 1165$	$\sum XY=38899$	$\sum X^2=5630$	$\sum Y^2=272077$	$\sum (X - \bar{X})^2=123.83$

Mean,

$$\bar{X} = 33.18 \quad \bar{Y} = 233$$

$$\begin{aligned} \text{ii) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\ &= \frac{5 \times 38899 - 166 \times 1165}{\sqrt{5 \times 5630 - (166)^2} \cdot \sqrt{5 \times 272077 - (123.83)^2}} \\ &= 0.8066 \end{aligned}$$

$$\text{Coefficient of Determination (r}^2\text{)} = 0.6506$$

$$\begin{aligned} \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\ &= 0.1562 \end{aligned}$$

$$\begin{aligned} \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\ &= 0.1054 \end{aligned}$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 38899 - 166 \times 1165}{5 \times 5630 - (166)^2}$$

$$= 1.86$$

$$a = \bar{Y} - b\bar{X}$$

$$= 233 - 1.86 \times 33.18$$

$$= 171.28$$

$$\begin{aligned} \text{Standard Error of Estimate (S.E.E)} &= \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2} \\ &= \sqrt{\frac{272077 - 171.28 \times 1165 - 1.86 \times 38899}{5 - 2}} \\ &= 7.824 \end{aligned}$$

$$\begin{aligned} \text{Standard Error of Regression Coefficient (S}_b\text{)} &= \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}} \\ &= \frac{7.824}{\sqrt{123.83}} \\ &= 0.703 \end{aligned}$$

$$\begin{aligned} \text{t-value, } |t| &= \frac{b}{Sb} \\ &= 2.6458 \end{aligned}$$

## Appendix-D

### Simple correlation and Regression analysis between DPS and MPS

#### 1) NIC Bank Ltd (NIC)

Year	X (DPS)	Y(MPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	0	218	0	0	47524	6.4009
2004/05	10	366	3660	100	133956	55.8009
2005/06	0.53	496	262.88	0.2809	246016	4
2006/07	1.05	950	997.5	1.1025	902500	2.1904
2007/08	1.05	1284	1348.2	1.1025	1648656	2.1904
N=5	$\sum X=12.63$	$\sum Y = 3314$	$\sum XY=6268.58$	$\sum X^2=102.49$	$\sum Y^2=2978652$	$\sum (X - \bar{X})^2=70.5826$

Mean,

$$\bar{X} = 2.53 \quad \bar{Y} = 662.8$$

$$\begin{aligned} \text{ii) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\ &= \frac{5 \times 6268.58 - 12.63 \times 3314}{\sqrt{5 \times 102.49 - (12.63)^2} \cdot \sqrt{5 \times 2978652 - (3314)^2}} \\ &= -0.283 \end{aligned}$$

Coefficient of Determination ( $r^2$ ) = 0.0801

$$\begin{aligned} \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\ &= 0.4114 \end{aligned}$$

$$\begin{aligned} \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\ &= 0.2775 \end{aligned}$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n.a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$\begin{aligned} b &= \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2} \\ &= \frac{5 \times 6268.58 - 12.63 \times 3314}{5 \times 102.49 - (12.63)^2} \\ &= -29.7873 \\ a &= \bar{Y} - b \bar{X} \\ &= 662.8 - (-29.7873) \times 2.53 \\ &= 738.1619 \end{aligned}$$

$$\begin{aligned} \text{Standard Error of Estimate (S.E.E)} &= \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2} \\ &= \frac{\sqrt{2978652 - 738.1619 \times 3314 - (-29.7873) \times 6268.58}}{5 - 2} \\ &= 489.59 \end{aligned}$$

$$\begin{aligned} \text{Standard Error of Regression Coefficient (Sb)} &= \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}} \\ &= \frac{489.59}{\sqrt{70.5826}} \\ &= 58.2752 \end{aligned}$$

$$\begin{aligned} \text{t-value, } |t| &= \frac{b}{Sb} \\ &= 0.5111 \end{aligned}$$

## 2) NABIL Bank Ltd (NABIL)

Year	X (DPS)	Y(MPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	65	1000	65000	4225	1000000	361
2004/05	70	1505	105350	4900	2265025	196
2005/06	85	2240	190400	7225	5017600	1
2006/07	100	5050	505000	10000	25502500	256
2007/08	100	5257	527500	10000	27825625	256

N=5	$\sum X=420$	$\sum Y = 15070$	$\sum XY=1393250$	$\sum X^2=36350$	$\sum Y^2=61610750$	$\sum (X - \bar{X})^2 = 1070$
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Mean,

$$\bar{X} = 84 \quad \bar{Y} = 3014$$

$$\begin{aligned} \text{ii) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\ &= \frac{5 \times 1393250 - 420 \times 15070}{\sqrt{5 \times 36350 - (420)^2} \cdot \sqrt{5 \times 61610750 - (15070)^2}} \\ &= 0.9677 \end{aligned}$$

Coefficient of Determination ( $r^2$ ) = 0.9365

$$\begin{aligned} \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\ &= 0.0284 \end{aligned}$$

$$\begin{aligned} \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\ &= 0.0192 \end{aligned}$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$\begin{aligned} b &= \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2} \\ &= \frac{5 \times 1393250 - 420 \times 15070}{5 \times 36350 - (420)^2} \\ &= 119.037 \\ a &= \bar{Y} - b\bar{X} \\ &= 3014 - 119.037 \times 84 \\ &= -6985.11 \end{aligned}$$

$$\begin{aligned} \text{Standard Error of Estimate (S.E.E)} &= \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2} \\ &= \frac{\sqrt{61610750 - (-6985.11) \times 15070 - 119.037 \times 1393250}}{5 - 2} \\ &= 585.4 \end{aligned}$$

$$\begin{aligned} \text{Standard Error of Regression Coefficient (Sb)} &= \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}} \\ &= \frac{585.4}{\sqrt{1070}} \\ &= 17.896 \\ \text{t-value, } |t| &= \frac{b}{Sb} \\ &= 6.652 \end{aligned}$$

### 3) Bank of Kathmandu Ltd (BOK)

Year	X (DPS)	Y (MPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	10	295	2950	100	87025	87025
2004/05	15	430	6450	225	184900	3.9204
2005/06	18	850	15300	324	722500	24.80
2006/07	20	1375	27500	400	1890625	48.72
2007/08	2.11	2350	4958.5	4.4521	5522500	119.03
N=5	$\sum X=65.11$	$\sum Y = 5300$	$\sum XY=57158.5$	$\sum X^2=1053.41$	$\sum Y^2=8407550$	$\sum (X - \bar{X})^2=205.29$

Mean,  
 $\bar{X} = 13.02$   $\bar{Y} = 1060$

$$\begin{aligned} \text{ii) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\ &= \frac{5 \times 57158.5 - 65.11 \times 5300}{\sqrt{5 \times 1053.41 - (65.1)^2} \cdot \sqrt{5 \times 8407550 - (5300)^2}} \\ &= -0.4952 \end{aligned}$$

Coefficient of Determination ( $r^2$ ) = 0.2452

$$\begin{aligned} \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\ &= 0.0284 \end{aligned}$$

$$\begin{aligned} \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\ &= 0.2277 \end{aligned}$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n.a + b \sum X \text{ and } \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 57158.5 - 65.11 \times 5300}{5 \times 1053.45 - (65.11)^2}$$

$$= -57.6791$$

$$a = \bar{Y} - b \bar{X}$$

$$= 1060 - (-57.6791) \times 13.02$$

$$= 1810.9819$$

$$\text{Standard Error of Estimate (S.E.E)} = \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2}$$

$$= \frac{\sqrt{8407550 - 1810.9819 \times 5300 - (-57.6791) \times 57158.5}}{5 - 2}$$

$$= 837.89$$

$$\text{Standard Error of Regression Coefficient (Sb)} = \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}}$$

$$= \frac{837.89}{\sqrt{205.59}}$$

$$= 58.44$$

$$\text{t-value, } |t| = \frac{b}{Sb}$$

$$= -0.987$$

#### 4) Pooled Bank Average

Year	X (DPS)	Y(MPS)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	25	504.33	12608.25	625	254348.7	66.9124
2004/05	31.67	767	24290.89	1003	588289	2.28
2005/06	34.51	1195.33	41250.84	1190.9	14228814	1.7889
2006/07	40.35	2458.33	99193.62	1628.12	6043386	51.4089
2007/08	34.39	2970	102138.3	1182.67	8820900	1.46
N=5	$\sum X = 165.9$ 2	$\sum Y = 789$ 5	$\sum XY = 27948$ 2	$\sum X^2 = 5629.7$ 2	$\sum Y^2 = 1713573$ 8	$\sum (X - \bar{X})^2 = 123.8$ 3



Mean,

$$\bar{X} = 33.18 \quad \bar{Y} = 1579$$

$$\begin{aligned} \text{ii) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\ &= \frac{5 \times 279482 - 165.92 \times 7895}{\sqrt{5 \times 5629.72 - (165.92)^2} \cdot \sqrt{5 \times 17135738 - (7895)^2}} \\ &= 0.7276 \end{aligned}$$

$$\text{Coefficient of Determination (r}^2\text{)} = 0.5294$$

$$\begin{aligned} \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\ &= 0.2105 \end{aligned}$$

$$\begin{aligned} \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\ &= 0.1419 \end{aligned}$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$\begin{aligned} b &= \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2} \\ &= \frac{5 \times 279482 - 165.92 \times 7895}{5 \times 5629.72 - (165.92)^2} \\ &= 141.2761 \\ a &= \bar{Y} - b\bar{X} \\ &= 1579 - 141.2761 \times 33.18 \\ &= -3108.54 \end{aligned}$$

$$\begin{aligned} \text{Standard Error of Estimate (S.E.E)} &= \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2} \\ &= \sqrt{\frac{17135738 - (-3108.54) \times 7895 - 141.2761 \times 279482}{5 - 2}} \\ &= 855.09 \end{aligned}$$

$$\begin{aligned} \text{Standard Error of Regression Coefficient (Sb)} &= \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}} \\ &= \frac{855.09}{\sqrt{123.83}} \\ &= 76.84 \end{aligned}$$

$$\begin{aligned} \text{t-value, } |t| &= \frac{b}{Sb} \\ &= 1.8386 \end{aligned}$$

### Appendix-E

#### Simple correlation and Regression analysis between DPR and Net Profit

##### 1) NIC Bank Ltd. (NIC)

Year	X (DPR)	Y(Net profit)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	0	293	0	0	858.5	124.10
2004/05	43.96	38.9	1710	1932.48	1513.2	1077.15
2005/06	3.29	30.7	101	10.82	942.5	61.62
2006/07	4.37	38.6	168.7	19.10	1490	43.83
2007/08	4.08	44.49	48.05	16.65	1979.4	49.84
N=5	$\sum X=55.7$	$\sum Y = 182$	$\sum XY=2028$	$\sum X^2=1979.05$	$\sum Y^2=6784$	$\sum (X - \bar{X})^2=1358.58$

Mean,

$$\bar{X} = 11.14 \quad \bar{Y} = 36.4$$

$$\begin{aligned} \text{ii) Coefficient of correlation (r)} &= \frac{n\sum XY - \sum X \cdot \sum Y}{\sqrt{n\sum X^2 - (\sum X)^2} \cdot \sqrt{n\sum Y^2 - (\sum Y)^2}} \\ &= \frac{5 \times 2028 - 55.7 \times 182}{\sqrt{5 \times 1979.05 - (55.7)^2} \cdot \sqrt{5 \times 6784 - (182)^2}} \\ &= 0.0011 \end{aligned}$$

Coefficient of Determination (r<sup>2</sup>) = 0.00000125

$$\begin{aligned} \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\ &= 0.4472 \end{aligned}$$

$$\text{Probable error of correlation coefficient, P.E. (r)} = 0.6745 \times \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.3016$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n.a + b\sum X \text{ and } \sum XY = a\sum X + b\sum X^2$$

Solving two normal equations, we get

$$b = \frac{n\sum XY - \sum X \cdot \sum Y}{n\sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 2028 - 55.7 \times 182}{5 \times 1979.05 - (55.70)^2}$$

$$= 0.00038$$

$$a = \bar{Y} - b\bar{X}$$

$$= 36.4 - 0.00038 \times 11.14$$

$$= 36.3957$$

$$\begin{aligned} \text{Standard Error of Estimate (S.E.E)} &= \frac{\sqrt{\sum Y^2 - a\sum Y - b\sum XY}}{n-2} \\ &= \sqrt{\frac{6784 - 36.3957 \times 182 - 0.00038 \times 2028}{5-2}} \\ &= 7.285 \end{aligned}$$

$$\begin{aligned} \text{Standard Error of Regression Coefficient (Sb)} &= \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}} \\ &= \frac{7.285}{\sqrt{1358.5}} \\ &= 0.1976 \end{aligned}$$

$$\begin{aligned} \text{t-value, } |t| &= \frac{b}{Sb} \\ &= 0.0019 \end{aligned}$$

## 2) NABIL Bank Ltd. (NABIL)

Year	X (DPR)	Y(Net profit)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	70	31.92	2240.5	4926.6	1019	11.09
2004/05	66.36	34.33	2278.1	4403.65	1178	51.27
2005/06	65.36	35.32	2323.3	4327.01	1247	59.91
2006/07	72.95	32.16	2346.1	5321.7	1034	0.32

2007/08	92.33	29.68	2740.3	8524.8	881	353.82
N=5	$\sum X=367.6$	$\sum Y = 163.4$	$\sum XY=11928.4$	$\sum X^2=27504$	$\sum Y^2=5360$	$\sum (X - \bar{X})^2=476.40$

Mean,

$$\bar{X} = 73.52 \quad \bar{Y} = 32.68$$

$$\begin{aligned} \text{ii) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\ &= \frac{5 \times 11928.4 - 367.6 \times 163.4}{\sqrt{5 \times 27504 - (367.6)^2} \cdot \sqrt{5 \times 5360 - (163.4)^2}} \\ &= -0.8652 \end{aligned}$$

Coefficient of Determination ( $r^2$ ) = 0.7486

$$\begin{aligned} \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\ &= 0.1124 \end{aligned}$$

$$\begin{aligned} \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\ &= 0.0758 \end{aligned}$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$\begin{aligned} b &= \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2} \\ &= \frac{5 \times 11928.4 - 367.6 \times 163.4}{5 \times 27504 - (367.6)^2} \\ &= -0.1774 \\ a &= \bar{Y} - b \bar{X} \\ &= 32.68 - (-0.1774) \times 73.52 \\ &= 45.72 \end{aligned}$$

$$\text{Standard Error of Estimate (S.E.E)} = \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2}$$

$$= \sqrt{\frac{5360 - 45.72 \times 163.4 - (-0.1774) \times 11928.24}{5 - 2}}$$

$$= 1.3443$$

$$\text{Standard Error of Regression Coefficient (Sb)} = \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}}$$

$$= \frac{7.285}{\sqrt{476.4}}$$

$$= 0.062$$

$$\text{t-value, } |t| = \frac{b}{Sb}$$

$$= 2.86$$

### 3) Bank of Kathmandu Ltd. (BOK)

Year	X (DPR)	Y (Net profit)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2004/05	49.83	27.13	1352	2483.03	736	208./
2005/06	41.22	35.11	1447	1699.09	1233	34.11
2006/07	45.98	38.75	1782	2114.16	1502	112.36
2007/08	3.52	41.89	147.4	12.39	1755	1015.06
N=5	$\sum X=176.91$	$\sum Y = 173$	$\sum XY=5820.2$	$\sum X^2=7630.72$	$\sum Y^2=6128$	$\sum (X - \bar{X})^2=1371.29$

Mean,

$$\bar{X} = 35.38, \bar{Y} = 34.6$$

$$\text{ii) Coefficient of correlation (r)} = \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}}$$

$$= \frac{5 \times 5820.2 - 176.91 \times 173}{\sqrt{5 \times 7630.72 - (176.91)^2} \cdot \sqrt{5 \times 6128 - (173)^2}}$$

$$= -0.6814$$

Coefficient of Determination (r<sup>2</sup>) = 0.4643

$$\text{Standard Error of correlation coefficient, S.E. (r)} = \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.2396$$

$$\text{Probable error of correlation coefficient, P.E. (r)} = 0.6745 \times \frac{1 - r^2}{\sqrt{n}}$$

$$= 0.1616$$

Regression equation of Y on X, Y = a + b X

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n.a + b \sum X \text{ and } \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 5820.2 - 176.91 \times 173}{5 \times 7630.72 - (176.91)^2}$$

$$= -0.2194$$

$$a = \bar{Y} - b\bar{X}$$

$$= 34.6 - (-0.2194) \times 35.38$$

$$= 42.3624 \text{ Standard Error of Estimate (S.E.E) =}$$

$$\frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2}$$

$$= \sqrt{\frac{6128 - 42.362 \times 173 - (-0.2194) \times 5820.2}{5 - 2}}$$

$$= 5.042$$

$$\text{Standard Error of Regression Coefficient (Sb)} = \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}}$$

$$= \frac{7.285}{\sqrt{1371.29}}$$

$$= 0.1362$$

$$\begin{aligned} \text{t-value, } |t| &= \frac{b}{Sb} \\ &= 1.6114 \end{aligned}$$

### 5) Pooled Bank Average

Year	X (DPR)	Y(Net profit)	XY	X <sup>2</sup>	Y <sup>2</sup>	(X - $\bar{X}$ ) <sup>2</sup>
2003/04	35.52	30.4	1080.2	1261.67	925	20.16
2004/05	53.38	33.45	1785.6	2849.42	1119	178.76
2005/06	36.76	33.7	1239	1351.30	1136	10.56
2006/07	41.1	36.5	150.2	1689.21	1332	1.19
2007/08	33.31	38.7	1289	1109.56	1498	44.89
<b>N=5</b>	$\sum X=200.07$	$\sum Y = 173$	$\sum XY=6894$	$\sum X^2=8261.16$	$\sum Y^2=6010$	$\sum (X - \bar{X})^2=255.56$

Mean,

$$\bar{X} = 40.01, \bar{Y} = 34.6$$

$$\begin{aligned} \text{ii) Coefficient of correlation (r)} &= \frac{n \sum XY - \sum X \cdot \sum Y}{\sqrt{n \sum X^2 - (\sum X)^2} \cdot \sqrt{n \sum Y^2 - (\sum Y)^2}} \\ &= \frac{5 \times 6894 - 200.07 \times 173}{\sqrt{5 \times 8261.16 - (200.07)^2} \cdot \sqrt{5 \times 6010 - (173)^2}} \\ &= -0.3614 \end{aligned}$$

$$\text{Coefficient of Determination (r}^2\text{)} = 0.1306$$

$$\begin{aligned} \text{Standard Error of correlation coefficient, S.E. (r)} &= \frac{1 - r^2}{\sqrt{n}} \\ &= 0.39 \end{aligned}$$

$$\begin{aligned} \text{Probable error of correlation coefficient, P.E. (r)} &= 0.6745 \times \frac{1 - r^2}{\sqrt{n}} \\ &= 0.2622 \end{aligned}$$

Regression equation of Y on X,  $Y = a + bX$

Where,

a = regression constant

b = Regression coefficient (slope of the regression line)

According to the principle of least square, two normal equations for estimating numerical constant a and b are given by,

$$\sum Y = n \cdot a + b \sum X \quad \text{and} \quad \sum XY = a \sum X + b \sum X^2$$

Solving two normal equations, we get

$$b = \frac{n \sum XY - \sum X \cdot \sum Y}{n \sum X^2 - (\sum X)^2}$$

$$= \frac{5 \times 6894 - 200.07 \times 173}{5 \times 8261.16 - (200.07)^2}$$

$$= -0.1112$$

$$a = \bar{Y} - b\bar{X}$$

$$= 34.6 - (-0.1112) \times 40.01$$

$$= 39.049$$

$$\text{Standard Error of Estimate (S.E.E)} = \frac{\sqrt{\sum Y^2 - a \sum Y - b \sum XY}}{n - 2}$$

$$= \sqrt{\frac{6010 - 39.049 \times 173 - (-0.1112) \times 6894}{5 - 2}}$$

$$= 2.6543$$

$$\text{Standard Error of Regression Coefficient (S}_b\text{)} = \frac{S.E.E.}{\sqrt{\sum (X - \bar{X})^2}}$$

$$= \frac{2.6543}{\sqrt{255.6}}$$

$$= 0.166$$

$$t\text{-value, } |t| = \frac{b}{Sb}$$

$$= 0.6699$$

### Appendix-F

#### Multiple Regression Analysis of MPS on EPS and DPS (of pooled Bank Average)

Year	MPS(X <sub>1</sub> )	EPS(X <sub>2</sub> )	DPS(X <sub>3</sub> )	X <sub>1</sub> <sup>2</sup>	X <sub>2</sub> <sup>2</sup>	X <sub>3</sub> <sup>2</sup>	X <sub>1</sub> X <sub>2</sub>	X <sub>2</sub> X <sub>3</sub>	X <sub>1</sub> X <sub>3</sub>
2003/04	504.3	44.59	25	25434.875	1988.3	625	22488	1115	12068
2004/05	767	52.78	31.67	588289	2785.7	1003	40482	1671	24291
2005/06	1195.33	63	34.51	1428814	3969	1191	75306	2174	41251
2006/07	2458.33	68.2	40.35	603386.4	4651.2	1628	16765	2752	99194
2007/08	2970	64.67	34.39	8820900	5182.2	1183	192070	2224	102138
N=5	∑ X <sub>1</sub> = 3317.87	∑ X <sub>2</sub>	∑ X <sub>3</sub>	∑ X <sub>1</sub> <sup>2</sup>	∑ X <sub>2</sub> <sup>2</sup>	∑ X <sub>3</sub> <sup>2</sup>	∑ X <sub>1</sub> X <sub>2</sub>	∑ X <sub>2</sub> X <sub>3</sub>	∑ X <sub>1</sub> X <sub>3</sub>

Mean;  $\bar{X}_1=1579$ ,  $\bar{X}_2=59$  and  $\bar{X}_3=33$

Dependent variable: MPS ( $\bar{X}_1$ )

Independent variables: EPS ( $\bar{X}_2$ ) and DPS ( $\bar{X}_3$ )

The general formula of multiple regression equation is given case is

$$X_1 = a_1 + b_1 X_2 + b_2 X_3$$

Where, a<sub>1</sub> = regression constant

b<sub>2</sub> And b<sub>1</sub> = Regression coefficient

Required normal equations to find the value of a<sub>1</sub> b<sub>2</sub> And b<sub>1</sub> can be written as under as:

$$\sum X_1 = n \cdot a_1 + b_1 \sum X_2 + b_2 \sum X_3 \dots\dots\dots (i)$$

$$\sum X_1 X_2 = a_1 \sum X_2 + \sum X_2^2 + b_2 \sum X_2 X_3 \dots\dots\dots (ii)$$

$$\sum X_1 X_3 = a_1 \sum X_3 + b_1 \sum X_2 X_3 + b_2 \sum X_3^2 \dots\dots\dots (iii)$$

Substituting the corresponding values and solving, we get

$$a_1 = -3317.87 \quad b_1 = 120.37 \quad \text{And} \quad b_2 = 64.9642$$



Hence the required multiple regression equation as follows

$$X_1 = .3317.87 + 120.37X_2 + 64.9642X_3$$

Standard Error of Estimated is given by  $X_1$  on  $X_2$  and  $X_3$  is given by

$$S_{1.23} = \sqrt{\frac{\sum X_1^2 - a_1 \sum X_1 - b_1 \sum X_1 X_2 - b_2 \sum X_1 X_3}{(n-3)}}$$

$$= \sqrt{\frac{17135737.95 - (-3317.87) - 120.37 \times 498004 - (-64.9642) \times 279842}{5-3}}$$

$$= 878.04$$

### Appendix-G

Coefficient of Multiple Determination among MPS, EPS and DPS (Pooled Average)

Year	MPS( $X_1$ )	EPS( $X_2$ )	DPS( $X_3$ )	$(X_1 - \bar{x}_1)^2$	$\bar{x}_1$	$(\bar{x}_1 - \bar{x}_1)^2$	$(X_1 - \bar{x}_1)^2$
2003/04	504.33	44.59	25	1154915	425.32	1330977.5	6242.58
2004/05	767	52.78	31.67	659344	97.8	361441.4	4436.64
2005/06	1195.33	63	34.51	147203`	2023.5	197580.3	685865.5
2006/07	2458.33	68.2	40.35	773221	2270.1	477619.2	35430.5
2007/08	2970	64.67	34.39	1934881	2232.3	426801	544201.3
N=5	$\sum X_1 =$	$\sum X_2$	$\sum X_3$	$\sum (X_1 - \bar{x}_1)^2$	$\sum \bar{x}_1$	$\sum (\bar{x}_1 - \bar{x}_1)^2$	$\sum (X_1 - \bar{x}_1)^2$

$$\bar{X}_1 = 1579$$

$$\text{Total variation} = \text{Total sum of Square} = \text{TSS} = \sum (X_1 - \bar{x}_1)^2 = 4669564$$

$$\text{Explained Variation} = \text{Regression sum of Square} = \text{SSR} = \sum (\bar{x}_1 - \bar{x}_1)^2 = 2794419$$

$$\text{Unexplained variation} = \sum (X_1 - \bar{x}_1)^2 = 1316177$$

The coefficient of Multiple Determination is given by

$$R_{1.23}^2 = \frac{\text{explained variation}}{\text{Total variation}}$$

$$= \frac{2794419}{4669564}$$

$$= 0.5984$$

### Appendix-H

#### Test of Regression coefficients of Multiple Regression model (Pooled Bank Average)

i) Grand Total (T) =  $\sum X_1 + \sum X_2 + \sum X_3 = 7895 + 293 + 166 = 8354$

ii) Correction Factor (C.F) =  $\frac{T^2}{N}$   
 $= 4652799$

iii) Total sum of square (T.S.S) =  $\sum X_1^2 + \sum X_2^2 + \sum X_3^2 - C.F$   
 $= 17135738 + 17576 + 5629.72 - 4652799$   
 $= 12506145$

iv) Sum of Square between Samples (S.S.C) =  $\frac{(\sum x_1)^2}{n_1} + \frac{(\sum x_2)^2}{n_2} + \frac{(\sum x_3)^2}{n_3} - C.F$   
 $= \frac{(7895)^2}{5} + \frac{(293)^2}{5} + \frac{(166)^2}{5} - 4652799$   
 $= 7836109.5$

v) Sum of Square within Samples (S.S.W) = T.S.S – S.S.C  
 $= 12506145 - 7836109.53$   
 $= 4670035.5$

**One way ANOVA Table**

S.N	Source of Variation (S.V)	Sum of Square	D.F	Mean Sum of square (M.S.S)	F1=ratio
1	Between Samples	7836109.5	2	3918054.75	10.068
2	Within Samples	4670035.5	12	389169.625	
3	Total	12506145	14		

**Appendix-I**  
**Multiple Regression Analysis of MPS on DPR and DPS (of pooled Bank Average)**

Year	MPS(X <sub>1</sub> )	DPR(X <sub>2</sub> )	DPS(X <sub>3</sub> )	X <sub>1</sub> <sup>2</sup>	X <sub>2</sub> <sup>2</sup>	X <sub>3</sub> <sup>2</sup>	X <sub>1</sub> X <sub>2</sub>	X <sub>2</sub> X <sub>3</sub>	X <sub>1</sub> X <sub>3</sub>
2003/04	504.3	35.52	25	25434.875	1261.7	625	1791	888	12608
2004/05	767	53.38	31.67	588289	2849.4	1003	4094	1691	24291
2005/06	1195.33	3676	34.51	142814	1351.3	1191	43940	1269	41251
2006/07	2458.33	41.10	40.35	6043386.4	1689.2	1628	101037	1658	99194
2007/08	2970	33.31	34.39	8820900	1109.6	1183	98931	1146	102138
N=5	∑ X <sub>1</sub> = <b>3317.87</b>	∑ X <sub>2</sub>	∑ X <sub>3</sub>	∑ X <sub>1</sub> <sup>2</sup>	∑ X <sub>2</sub> <sup>2</sup>	∑ X <sub>3</sub> <sup>2</sup>	∑ X <sub>1</sub> X <sub>2</sub>	∑ X <sub>2</sub> X <sub>3</sub>	∑ X <sub>1</sub> X <sub>3</sub>

Mean;  $\bar{X}_1 = 1579$ ,  $\bar{X}_2 = 40.01$  and  $\bar{X}_3 = 33.2$

Dependent variable: MPS ( $\bar{X}_1$ )

Independent variables: DPR( $\bar{X}_2$ ) and DPS( $\bar{X}_3$ )

The general formula of multiple regression equation is given case is

$$X_1 = a_1 + b_1 X_2 + b_2 X_3$$

Where, a<sub>1</sub> = regression constant

b<sub>2</sub> And b<sub>1</sub> = Regression coefficient

Required normal equations to find the value of a<sub>1</sub> b<sub>2</sub> And b<sub>1</sub> can be written as under as:

$$\sum X_1 = n \cdot a_1 + b_1 \sum X_2 + b_2 \sum X_3 \dots\dots\dots (i)$$

$$\sum X_1 X_2 = a_1 \sum X_2 + \sum X_2^2 + b_2 \sum X_2 X_3 \dots\dots\dots (ii)$$

$$\sum X_1 X_3 = a_1 \sum X_3 + b_1 \sum X_2 X_3 + b_2 \sum X_3^2 \dots\dots\dots (iii)$$

Substituting the corresponding values and solving, we get

$$a_1 = -1194.87 \quad b_1 = -56.3238 \quad \text{And} \quad b_2 = 151.4102$$

Hence the required multiple regression equation as follows

$$X_1 = -1194.87 - 56.3238 X_2 + 151.4102 X_3$$

Standard Error of Estimated is given by  $X_1$  on  $X_2$  and  $X_3$  is given by

$$S_{1.23} = \sqrt{\frac{\sum X_1^2 - a_1 \sum X_1 - b_1 \sum X_1 X_2 - b_2 \sum X_1 X_3}{(n - 3)}}$$

$$= \sqrt{\frac{17135737.95 - (-1194.87)x7895 - (-56.3238)x302764.7 - 151.4102x279842}{5-3}}$$

$$= 807.9697$$

Year	MPS(X <sub>1</sub> )	DPR(X <sub>2</sub> )	DPS(X <sub>3</sub> )	(X <sub>1</sub> - $\bar{x}_1$ ) <sup>2</sup>	$\bar{x}_1$	( $\bar{x}_1$ - $\bar{x}_1$ ) <sup>2</sup>	(X <sub>1</sub> - $\bar{x}_1$ ) <sup>2</sup>
2003/04	504.33	35.52	25	1154915	589.76	978596	7298.3
2004/05	767	53.38	31.67	659344	593.73	970757	30022.5
2005/06	1195.33	36.76	34.51	147203`	1959.8	145031.5	584460
2006/07	2458.33	41.1	40.35	773221	2599.6	1041665	19963
2007/08	2970	33.31	34.39	1934881	2135.98	310227	695589.4
N=5	$\sum X_1$	$\sum X_2$	$\sum X_3$	$\sum (X_1 - \bar{x}_1)^2$	$\sum \bar{x}_1$	$\sum (\bar{x}_1 - \bar{x}_1)^2$	$\sum (X_1 - \bar{x}_1)^2$

$$\bar{X}_1 = 1579$$

$$\text{Total variation} = \text{Total sum of Square} = \text{TSS} = \sum (X_1 - \bar{x}_1)^2 = 4669564$$

$$\text{Explained Variation} = \text{Regression sum of Square} = \text{SSR} = \sum (\bar{x}_1 - \bar{x}_1)^2 = 3446276$$

$$\text{Unexplained variation} = \sum (X_1 - \bar{x}_1)^2 = 1337333$$

The coefficient of Multiple Determination is given by

$$R_{1,23}^2 = \frac{\text{explained variation}}{\text{Total variation}}$$

$$= \frac{3446276}{4669564}$$

$$= 0.7380$$

### Appendix-H

#### Test of Regression coefficients of Multiple Regression model (Pooled Bank Average)

iv) Grand Total (T) =  $\sum X_1 + \sum X_2 + \sum X_3 = 7895 + 200 + 166 = 8261$

v) Correction Factor (C.F) =  $\frac{T^2}{N}$

$$= 454968$$

$$\begin{aligned}
 \text{vi) Total sum of square (T.S.S)} &= \sum X_1^2 + \sum X_2^2 + \sum X_3^2 - C.F \\
 &= 17135738 + 8261.2 + 5629.72 - 4549608 \\
 &= 12600021
 \end{aligned}$$

$$\begin{aligned}
 \text{iv) Sum of Square between Samples (S.S.C)} &= \frac{(\sum x_1)^2}{n_1} + \frac{(\sum x_2)^2}{n_2} + \frac{(\sum x_3)^2}{n_3} - C.F \\
 &= \frac{(7895)^2}{5} + \frac{(200)^2}{5} + \frac{(166)^2}{5} - 4549608 \\
 &= 7930108.5
 \end{aligned}$$

$$\begin{aligned}
 \text{v) Sum of Square within Samples (S.S.W)} &= T.S.S - S.S.C \\
 &= 12600021 - 7930108.5 \\
 &= 4669912.5
 \end{aligned}$$

**One way ANOVA Table**

S.N	Source of Variation (S.V)	Sum of Square	D.F	Mean Sum of square (M.S.S)	F <sub>1</sub> =ratio
1	Between Samples	7930108.5	2	3965054	10.1883
2	Within Samples	4669912.5	12	389159	
3	Total	12600021	14		