## Appendix - I

## Trend Equation of Cash and Bank Balance

The trend equation of Cash and Bank Balance is obtained as:
$\mathrm{YC}=\mathrm{a}+\mathrm{bx}$
Where,
Y denoted for the loan and advances and X for the term variable.

| Fiscal <br> Year | Cash And Bank <br> Balance <br> $(\mathbf{y})$ | $\mathbf{X = T}-$ <br> $\mathbf{2 0 0 9} \mathbf{0 1 0}$ | $\mathbf{X}^{\mathbf{2}}$ | $\mathbf{X Y}$ | Trend |
| :--- | :---: | :---: | :---: | :---: | :---: |
| $2007 / 08$ | 7.87 | -2 | 4 | -15.74 | 7.884 |
| $2008 / 09$ | 7.05 | -1 | 1 | -7.05 | 6.928 |
| $2009 / 10$ | 5.72 | 0 | 0 | 0 | 5.972 |
| $2010 / 11$ | 5.21 | 1 | 1 | 5.21 | 5.016 |
| $2011 / 12$ | 4.01 | 2 | 4 | 8.02 | 4.06 |
| $\mathbf{N}=\mathbf{5}$ | $\sum y=29.86$ | 0 | $\sum x^{2}-10$ | $\sum x y=(9.56)$ |  |

$\mathrm{a}=\frac{\sum y}{n}=\frac{29.86}{5}=5.972 \quad b=\frac{\sum x y}{\sum x^{2}}=\frac{-9.56}{10}$

From (i) the required equation of the trend line is $\mathrm{YC}=5.972+(-\mathrm{o} .956) \mathrm{x}$

Trend values
For 2007\008, $\mathrm{X}=-2, \mathrm{YC}=5.972+(-0.956) \times(-2)=7.884$

$$
\begin{aligned}
& 20081009, X=-1, Y C=5.972+(-0.956) \times(-1)=6.928 \\
& 20091010, X=0, Y C=5.972+(-0.956) \times(0)=5.972 \\
& 20101011, X=1, Y C=5.972+(-0.956) \times 1)=5.016 \\
& 2011 \backslash 012, X=2, Y C=5.972+(-0.956) \times(2)=4.06
\end{aligned}
$$

## Appendix - II

## Trend Equation of Loan and Advances

The trend equation of loan and advances is obtained as:
$\mathrm{YL}=\mathrm{a}+\mathrm{bx}$
Where,
Y denoted for the loan and advances and X for the term variable.

| Fiscal <br> Year | Loan and <br> Advance | X=T- <br> 2009\010 | $\mathrm{X}^{2}$ | XY | Trend |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $2007 / 08$ | 50.80 | -2 | 4 | -101.6 | 48.62 |
| $2008 / 09$ | 47.07 | -1 | 1 | -47.01 | 50.207 |
| $2009 / 10$ | 52.47 | 0 | 0 | 0 | 51.79 |
| $2010 / 11$ | 52.74 | 1 | 1 | 52.74 | 53.37 |
| $2011 / 12$ | 55.85 | 2 | 4 | 111.7 | 54.956 |
| $\mathrm{~N}=5$ | $\sum y=258.93$ | $\sum x=0$ | $\sum x^{2}-10$ | $\sum x y=15.83$ |  |

$\mathrm{a}=\frac{\sum y}{n}=\frac{258.93}{5} b=\frac{\sum x y}{\sum x^{2}}=\frac{15.83}{10}=1.583$
$=51.79$
From (i) the required equation of the trend line is $\mathrm{YL}=51.79+1.583 \mathrm{x}$
Trend values
For 2007\008, $\mathrm{X}=-2, \mathrm{YL}=51.79+1.583 \times(-2)=48.62$
20081009, $\mathrm{X}=-1, \mathrm{YL}=51.79+1.583 \times(-1)=50.207$
20091010, $\mathrm{X}=0, \mathrm{YL}=51.79+1.583 \times 0=51.79$
$2010 \backslash 011, \mathrm{X}=1, \mathrm{YL}=51.79+1.583 \times 1=53.37$
$2011 \backslash 012, \mathrm{X}=2, \mathrm{YL}=51.79+1.583 \times 2)=54.956$

## Appendix - III

## Regression Analysis: Investment on Total Deposit

The equation of investment on Total deposit is obtained as;
$Y(\mathrm{i})=\mathrm{a}+\mathrm{bx}(\mathrm{TD})$
Where,
Y is denoted for investment and X is denoted for total deposit.
$b=\frac{\sum x y}{\sum x^{2}}$
$b=\frac{20822587.55}{181858870.4}$
$\mathrm{b}=0.114$
$y=a+b x$
$14407.328=\mathrm{a}+0.114 \times 22158.917$
$a=-8881.211$
$\mathrm{SEE}=\sqrt{\left(\frac{\sum y^{2}-b \sum x y}{n-2}\right)}$
$\mathrm{SEE}=\sqrt{\left(\frac{8732717.56-0.114 \times 20822587.55}{5-2}\right)}$
$\mathrm{SEE}=1455.901$

The equation of investment on total deposit
Y (investment) $=\mathrm{a}+\mathrm{bx}($ Total Deposit $)$

## Appendix - IV

## Regression Analysis: Loan and Advances on Total Deposit

The equation of loan and advances to total deposit is obtained by :
$\mathrm{Y}(\mathrm{LA})=\mathrm{a}+\mathrm{bx}(\mathrm{TD})$
Where,
Y is denoted for loan and advances and X is denoted for total deposit.
$b=\frac{\sum x y}{\sum x^{2}}$
$b=\frac{46771737.74}{181858870.4}$
$\mathrm{b}=0.257$
$Y=a+b x$
$16021=\mathrm{a} 0.257 \times 22158.917$
$a=-10326.16$
$\mathrm{SEE}=\sqrt{\left(\frac{\sum y^{2}-b \sum x y}{n-2}\right)}$
$\mathrm{SEE}=\sqrt{\left(\frac{36730468.44-0.257 \times 46771737.74}{5-2}\right)}$
$\mathrm{SEE}=2871.71$

The equation of loan and advances on total deposit
$\mathrm{Y}(\mathrm{LA})=\mathrm{a}+\mathrm{bx}(\mathrm{TD})$
$Y=-10326.16$

## Appendix - V

## Regression Analysis: Cash and Bank Balance on Current Liabilities

The equation of cash and bank to current liabilities is obtained by;
$Y(C B)=a+b x(C L)$
Where,
Y is denoted for cash and bank balance and X is denoted for current liabilities.
$b=\frac{\sum x y}{\sum x^{2}}$
$b=\frac{(3362583.102)}{40465895.01}$
b -0.083
$\mathrm{Y}=\mathrm{a}+\mathrm{bx}$
$1787.698=\mathrm{a}+(-0.0831) \times 28494.041$
$\mathrm{A}=-4155.55$
$\mathrm{SEE}=\sqrt{\frac{\left(\sum y^{2}-b \sum x y\right)}{n-2}}$
$\mathrm{SEE}=\sqrt{\frac{218169.829-(-0.083) \times 3362583.102}{5-2}}$
$\mathrm{SEE}=407.13$

The equation of cash and bank on current liabilities
$\mathrm{Y}(\mathrm{CB})=\mathrm{a}+\mathrm{bx}(\mathrm{CL})$
$Y=-4155.55+(-0.083) x$

## Appendix - VI

## Regression Analysis Loan and Advance and Net Profit

The equation of Loan and advance and net profit is obtained by
Where,
Y is denoted for net profit and X is denoted for Loan and Advance.
$b=\frac{\sum x y}{\sum x^{2}}=\frac{1504706.616}{36729408.44}$
$b=0.041$
$\mathrm{Y}=\mathrm{a}+\mathrm{bx}$
$431.296=a+0.041 \times 16021.299$
$\mathrm{A}=225.58$
$\mathrm{SEE}=\sqrt{\left(\frac{\sum y^{2}-b \sum x y}{n-2}\right)}$
$\mathrm{SEE}=\sqrt{\left(\frac{89637.797-0.41 \times 1504706.616}{5-2}\right)}$
$\mathrm{SEE}=96.514$
The equation of loan and advance on net profit
$Y($ Net Profit $)=a+b x$ (Loan and Advance)
$Y=225.58+0.041 \mathrm{x}$

## Appendix - VII

## Regression Analysis: Net profit to Quick Assets Ratio on Quick Ratio

The equation of net profit to quick assets ratio and quick ratio is obtained by;
Where,
Y is denoted for net profit to quick assets ratio and X is denoted for quick ratio.
$b=\frac{\sum x y}{\sum x^{2}} \quad b=\frac{(0.168)}{9.2} \quad b=-0.018$
$Y=a+b x$
$1.44=a+(-0.018) \times 102.4$
$\mathrm{a}=-3.28$
$\mathrm{SEE}=\sqrt{\left(\frac{\sum y^{2}-b \sum x y}{n-2}\right)}$
$\mathrm{SEE}=\sqrt{\left(\frac{0.4088-(-0.018) \times(-0.168}{5-2}\right)}$
$\mathrm{SEE}=0.368$
The equation of net profit to quick assets ratio and quick ratio
$Y=-3.28+(-0.018) x$

## Appendix - VIII

## Regression Analysis: Return on Working Capital on Current Ratio

The equation of return on WC on current ratio is obtained by;
$Y(N C)=a+b x(C R)$
Where,
Y is denoted for net profit to current assets and X is denoted for current ratio.
$b=\frac{\sum x y}{\sum x^{2}} \quad b=\frac{(0.77)}{2.8} \quad b=-0.275$
$Y=a+b x$
$1.37=a+(-0.275) \times 107.8$
$a=-31.015$
$\mathrm{SEE}=\sqrt{\left(\frac{\sum y^{2}-b \sum x y}{n-2}\right)}$
$S E E=\sqrt{\frac{0.3824-(-0.275) \times(-0.77)}{5-2}}$
$\mathrm{SEE}=0.238$
The equation of return on WC and current ratio
$\mathrm{Y}($ net profit to current assets ratio $)=\mathrm{a}+\mathrm{bx}($ Current ratio $)$
$Y=-31.015+(-0.275) x$

